

## The Crystal Structure of the 1:4 Thallous Benzoate–Thiourea Complex

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The crystal structure of the complex  $C_6H_5COOTl_4(SCN_2H_4)$  has been determined by three-dimensional X-ray diffraction methods. This structure is characterized by  $(Tl^+.4TU)_n$  coordination columns (TU=thiourea) with  $mm$  symmetry and is similar to those with  $4/m$  symmetry observed before in the TU complexes of other thallous salts. The benzoate ions also occur in linear stacks and the amino ends of the thiourea molecules which surround such a stack do not all interact with the anions in an equivalent fashion. Those facing the carboxyl group directly are strongly hydrogen-bonded to it and the dipole moment of the thiourea molecule is enhanced because of this. This enhancement leads to stronger interaction of the sulphur, not only with the thallous ion, but also with a similarly activated neighbouring sulphur atom. This latter interaction probably involves weak  $\pi$ -bonding and it leads to a distortion of the coordination column away from the familiar fourfold symmetry.

### Introduction

The idea (Boeyens, 1968*b*) that the structure of an ionic thiourea complex is completely determined by the close packing of tetragonal  $(M^+.4TU)_n$  coordination columns is not strictly correct. The very existence of such a column is for instance refuted by the stoichiometry of the complex  $Tl_3PO_4.6TU$ , the structure of which has not been determined but which appears to be a typical ionic complex (Verhoef & Boeyens, 1968). Complete disruption of the expected column is caused here by the relatively small number of anions available. Excessively large voids would exist had the normal type of packing prevailed. Another instance where the geometry of the column is affected by the anion is found in the structure of  $TlClO_4.4TU$  (Boeyens & Herbstein, 1967). In this case two types of column are found in the same structure. One of these is slightly distorted to allow for anionic protrusion.

Since these structures usually involve heavy cations, the interatomic distances are not generally sufficiently accurate to detect small distortions in the coordination columns, particularly when these distortions have the same symmetry as the column. It is thus desirable to investigate the effect of an anion which is large enough possibly to perturb the column, but not symmetrical enough to have the same effect on all sides of the column. A likely candidate appeared to be the benzoate ion whose thallous salt forms a well defined complex with thiourea.

### Crystal data

The complex was crystallized by cooling an aqueous solution containing thallous benzoate and thiourea in

stoichiometric proportions. The cell dimensions and space group (orthorhombic) of a needle-shaped crystal of the complex with an average diameter of 0.01 cm, were determined from appropriate oscillation and Weissenberg photographs:  $a = 15.64 \pm 0.05 \text{ \AA}$ ,  $b = 17.09 \pm 0.5 \text{ \AA}$ ,  $c = 8.15 \pm 0.05 \text{ \AA}$ . The density as measured by flotation is  $1.95 \text{ cm}^{-3}$  and the density calculated for 4 formula units per unit cell is  $1.92 \text{ cm}^{-3}$ . The conditions for possible reflexions:  $hkl$  for  $h+k=2n$  and  $h0l$  for  $l=2n$  are consistent with the space groups  $Cmc2_1$  and  $Cmcm$ . The latter centrosymmetric space group (No. 63 in *for X-ray Crystallography International Tables*, 1952) was successfully used for the structure determination.

### Determination and refinement of the Structure

The space group for this complex differs from all others encountered previously for this family of thiourea complexes in that it has no mirror planes at  $z=0, \frac{1}{2}$ , but instead has mirror planes at  $z=\frac{1}{4}, \frac{3}{4}$ . For the complex to have a related type of structure this requires the  $Tl^+$  ion to occupy either positions  $a$  or  $b$ , symmetry  $2/m$ , of the space group. This observation led to the correct interpretation of the three-dimensional Patterson synthesis based on 980  $hkl$ , visually estimated, data which were collected and corrected by standard techniques described earlier (Boeyens, 1968*b*) with  $Cu K\alpha$  (Ni filtered) radiation. Full-matrix least-squares refinement using individual isotropic temperature factors without differential weighting terminated with a residual,  $R = \Sigma |F_o - F_c| / \Sigma F_o = 0.091$ . The parameter shifts in the last cycle were less than 0.1 of their estimated standard deviations. The final atomic parameters and their e.s.d.'s are given in Table 1, while the observed and calculated structure factors on an absolute scale ( $F_{000} = 1128$ ) are given in Table 2. All unobserved reflexions have  $F_{obs} < 20$  in Table 2. The same computer

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program and atomic scattering factors described before (Boeyens, 1968b) were used in the analysis.

Table 1. Fractional coordinates and temperature factors of the atoms in an asymmetric unit, with estimated standard deviations below each value

	x	y	z	B (Å <sup>2</sup> )
Tl	0	0	0	3.09 0.04
S(1)	0.1073 0.0004	0.1236 0.0003	$\frac{1}{4}$	2.55 0.12
S(2)	0.1452 0.0004	0.0942 0.0004	$\frac{3}{4}$	3.00 0.13
N(1)	0.2591 0.0009	0.0944 0.0008	0.1060 0.0022	3.78 0.31
N(2)	0.1065 0.0011	0.2332 0.0009	0.6106 0.0025	4.69 0.37
C(1)	0.2174 0.0016	0.1025 0.0014	$\frac{1}{4}$	3.07 0.47
C(2)	0.1184 0.0015	0.1946 0.0013	$\frac{3}{4}$	2.91 0.45
C(3)	0	0.3159 0.0023	$\frac{1}{4}$	3.98 0.81
C(4)	0	0.4818 0.0016	$\frac{3}{4}$	1.95 0.53
C(5)	$\frac{1}{2}$	0.0715 0.0017	$\frac{1}{4}$	2.08 0.53
C(6)	0.0775 0.0019	0.3584 0.0016	$\frac{1}{4}$	4.14 0.59
C(7)	0.0786 0.0016	0.4416 0.0014	$\frac{1}{4}$	3.48 0.47
O	0.4294 0.0011	0.1056 0.0010	$\frac{1}{4}$	3.42 0.34

### Description of the structure

The structure is stabilized by ion-dipole attractions. The thalious ions, each of which is surrounded by eight sulphur atoms, arrange themselves in infinite linear chains. The benzoate ions with *mm* crystallographic symmetry are likewise stacked along [001] with their long axes alternately in the [010] and  $[0\bar{1}0]$  directions. All the atoms of the benzoate ions lie in the same mirror planes, at  $z = \frac{1}{4}, \frac{3}{4}$ , which contain the sulphur and carbon atoms of the thiourea molecules. Each benzoate ion has a polar and an apolar end, the former referring to the carboxyl group. Only the polar ends seem to interact with neighbouring thiourea molecules in the same mirror plane. This is shown distinctly in the (001) projection of the structure depicted in Fig. 1. It is seen that the polar end is surrounded by four  $=C(NH_2)_2$  groups mirrored in the plane of the benzoate, whereas the apolar end is surrounded at van der Waals distances by four sulphur atoms which are coordinated to thalious ions.

It is significant that the thiourea molecules do not interact identically with their neighbouring cations nor among themselves. Whereas one type is 3.45 Å distant from the closest thalious ion, another type approaches a thalious ion at a distance of 3.38 Å. Since  $\sigma(Tl \cdots S) \sim 0.006$  Å, this difference is chemically significant. Compared with  $d(Tl \cdots S)$  as observed in the structures of  $TlNO_3 \cdot 4TU$ ,  $TlClO_4 \cdot 4TU$  (Boeyens & Herbstein, 1967) and  $TlH_2PO_4 \cdot 4TU$  (Verhoef & Boeyens, 1968)

the 3.45 Å distance is seen to be the normal one. Furthermore, the sulphur atoms of the thiourea molecules involved in these close approaches are abnormally close, at  $3.36 \pm 0.01$  Å, compared with the  $4.54 \pm 0.01$  Å between the sulphurs in van der Waals contact. There is an intermediate approach of  $3.77 \pm 0.01$  Å between sulphur atoms belonging to thiourea molecules of unlike type. The average distance between sulphurs in the three structures mentioned above is halfway between the intermediate and the long approaches observed here. Sulphur atoms with  $\Delta z = \frac{1}{2}$  and in positions of near-overlap in (001) projection are  $4.15 \pm 0.01$  Å apart. The Tl-Tl distance in a stack ( $c/2 = 4.075$  Å) is somewhat smaller than the interthalious distance of 4.145 Å found in all other structures previously examined.

### Bond lengths and interatomic distances

The important interatomic distances are shown in Fig. 1. Where no values are specified, regular van der Waals separations were observed.

There are two different types of thiourea molecule in the structure. The one type is involved in the close approaches described under the previous heading, whereas the other type is not. The bond lengths of the two types will now be examined for possible effects of the close approaches. The molecular parameters for the two types are compared in Table 3 with uncoordinated thiourea (Truter, 1967). Except for the long S-C bonds which are just not at significance level, the two types of molecule are very similar to free thiourea, and on this evidence are unaffected by any special interactions.

The benzoate ion has *mm* crystallographic symmetry. There are thus three crystallographically independent bonds in the benzene ring. These measure 1.41, 1.42

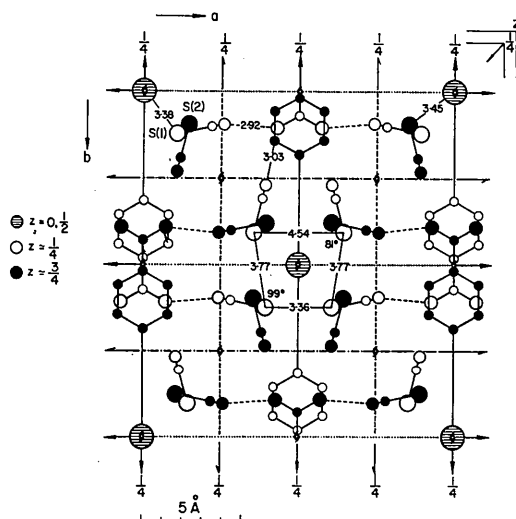


Fig. 1. Projection of the structure along [001] to show the details of the packing and some important structural parameters. Dashed lines indicate hydrogen bonds.

Table 2. Observed and calculated structure factors on an absolute scale

H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>	H F <sub>o</sub> P <sub>c</sub>
K=0, L=0	K=9, L=0	K=20, L=0	K=9, L=1	K=2, L=2	K=11, L=2	K=2, L=3	K=14, L=3	K=6, L=4	K=17, L=4	L=1, L=5	K=5, L=6				
4 106 108	1 309 293	0 67 68	1 99 -92	0 219 201	1 159 147	0 56 -34	0 40 -51	0 213 169	1 51 65	1 12 -5	1 189 159				
6 87 86	3 139 124	2 27 41	3 63 54	2 235 246	3 236 202	2 195 171	2 195 171	2 195 171	3 78 79	3 12 -4	3 99 86				
8 305 356	5 130 115	4 47 65	5 55 47	4 256 262	5 144 134	4 29 -58	4 26 21	4 212 210	5 51 56	5 13 -9	5 103 107				
10 211 205	7 201 193	6 49 57	7 34 -39	6 215 209	7 107 107	6 42 -50	6 12 -5	6 111 108	7 32 48	7 13 -8	7 146 149				
12 181 167	9 181 189	K=21, L=0	9 23 -21	8 208 190	9 135 135	8 25 -28	8 25 -34	8 149 157	9 50 63	9 27 -35	9 108 109				
14 116 119	11 118 120	1 54 58	K=10, L=1	10 172 161	11 129 129	10 98 97	K=15, L=3	10 132 142	K=18, L=4	11 11 -12	11 73 68				
16 103 88	13 99 77	3 21 44	0 57 -60	12 124 113	13 40 47	12 32 -28	12 32 -28	12 104 99	0 52 61	13 19 11	13 66 67				
18 84 80	15 55 61	5 39 61	2 5 -5	14 81 77	15 39 48	14 81 77	14 30 35	14 30 35	2 51 59	K=12, L=5	15 46 48				
K=1, L=0	17 42 49	K=1, L=1	4 70 70	16 90 83	K=12, L=2	16 11 -3	5 21 19	16 80 75	6 65 67	0 28 14	K=6, L=6				
3 108 96	K=10, L=0	3 62 -68	6 25 23	18 59 63	0 178 173	18 45 40	K=16, L=3	K=7, L=4	6 33 42	2 12 -3	0 206 195				
5 209 198	0 319 302	5 19 -20	8 10 -13	K=3, L=2	2 173 155	2 173 155	K=3, L=3	0 26 -30	1 208 194	4 13 -11	2 101 103				
7 336 325	2 134 123	7 43 52	10 11 -12	4 118 106	7 166 168	4 118 106	1 44 -39	2 12 -7	3 196 179	6 46 40	4 111 98				
9 257 218	4 193 179	9 37 -39	12 21 14	6 167 165	8 115 119	6 167 165	3 23 18	5 116 113	5 116 113	8 42 37	6 107 105				
11 129 112	6 172 167	11 41 -42	14 19 14	5 199 190	8 115 119	5 15 -4	6 28 17	7 110 120	3 40 55	K=13, L=6	8 107 111				
13 71 78	8 176 184	13 28 20	K=11, L=1	7 256 237	10 141 135	7 80 -82	K 17, L=3	9 139 151	5 54 70	1 46 37	10 62 58				
15 67 77	10 68 69	15 26 19	1 9 -9	9 246 228	12 69 69	9 60 62	1 28 25	11 128 133	K=20, L=4	3 29 -34	12 75 73				
17 51 53	12 96 94	17 10 -6	3 9 -2	11 156 136	14 12 24	11 20 17	K=18, L=3	13 47 53	0 40 48	5 33 -42	14 72 72				
19 88 79	14 91 93	19 21 -12	5 10 -8	13 88 89	16 43 51	13 30 -30	6 30 30	15 47 49	2 23 42	K=14, L=5	K=7, L=6				
K=2, L=0	16 53 62	K=2, L=1	7 18 -17	15 73 74	K=13, L=2	15 39 -33	2 10 -7	17 51 61	K=1, L=5	0 45 40	1 139 119				
2 245 239	K=11, L=0	0 56 -51	9 55 53	17 91 78	1 174 162	17 24 24	4 31 -39	K=8, L=4	1 23 -17	3 13 -1	3 107 102				
4 317 182	1 181 154	2 55 47	11 21 19	19 69 68	3 109 107	K=4, L=3	6 9 -8	0 214 188	3 7 -10	4 12 -30	5 111 118				
6 284 268	3 142 129	4 85 -95	13 28 22	K=4, L=2	5 92 86	0 59 -50	8 30 30	2 172 158	5 22 22	6 12 7	7 107 115				
8 215 188	5 184 174	6 117 129	15 20 16	0 405 488	7 106 108	2 64 56	K=19, L=1	4 137 125	7 36 34	8 27 24	9 65 66				
10 137 121	7 132 121	K=12, L=1	17 10 -11	9 287 274	6 68 67	9 121 124	3 22 -25	6 114 109	11 23 -49	K=15, L=6	11 51 55				
12 181 169	9 57 62	10 68 -65	0 25 -24	4 91 91	11 91 88	6 14 7	3 22 -25	8 114 120	11 23 -49	13 27 19	13 72 71				
14 149 146	11 57 64	12 10 5	2 10 6	6 159 152	13 38 44	8 16 -23	5 17 -25	10 121 118	13 23 19	3 12 -19	15 45 60				
16 86 83	13 104 110	14 63 58	4 10 -13	8 199 198	15 29 40	10 50 46	7 23 21	12 80 79	15 24 22	5 11 -15	K=8, L=6				
18 48 51	15 87 90	16 11 -7	6 89 85	10 188 166	K=14, L=2	12 11 -13	K=20, L=3	14 43 54	K=2, L=5	7 10 11	0 86 75				
K=3, L=0	K=6, L=0	18 37 -37	8 46 37	13 216 131	16 43 51	13 30 -30	16 37 45	16 37 45	K=15, L=5	9 19 13	10 220 111				
1 216 205	0 172 158	K=3, L=1	K=13, L=1	14 108 101	2 111 108	16 10 11	K=9, L=4	2 199 183	4 8 -7	0 25 20	12 80 75				
3 332 368	2 125 119	1 47 -40	1 69 60	16 62 58	4 91 97	18 21 18	2 234 296	1 199 183	4 8 -7	0 25 20	6 110 127				
5 313 323	4 194 186	3 53 -53	3 53 -53	18 78 67	6 113 106	K=6, L=3	4 86 83	3 113 105	6 52 56	8 68 77	10 51 56				
7 185 169	6 185 171	5 100 105	5 59 -61	K=7, L=2	8 93 93	0 51 -63	6 199 193	5 132 127	8 11 4	K=7, L=5	10 51 56				
9 117 111	8 321 122	7 67 71	7 11 -6	3 148 138	12 55 56	2 41 -46	9 178 157	7 128 136	10 61 -62	1 10 -20	12 68 69				
11 150 146	10 37 48	9 37 48	9 8 -8	5 234 224	14 55 61	4 43 43	10 170 155	9 121 132	12 13 13	3 10 8	14 65 68				
13 168 154	12 91 98	11 48 -54	11 20 -11	7 268 257	K=15, L=2	8 16 -5	14 138 128	11 70 77	14 41 37	5 20 16	K=9, L=6				
15 110 109	14 95 100	13 68 71	K=14, L=1	9 260 247	11 115 104	10 13 -59	16 59 60	13 76 78	K=3, L=5	1 65 69	3 134 138				
17 58 63	16 52 54	15 37 36	0 60 56	11 215 205	1 115 104	12 16 13	18 108 63	16 59 60	1 18 9	K=18, L=6	5 116 123				
19 20 33	K=13, L=0	17 10 -21	2 20 14	11 116 105	3 86 90	12 16 13	K=16, L=3	18 108 63	3 8 -10	0 19 -32	7 134 123				
K=4, L=0	1 143 136	19 21 -16	4 63 -68	13 113 114	5 99 107	14 33 -21	0 214 177	0 214 177	5 23 22	2 4 3	9 64 72				
0 42 28	3 157 145	K=4, L=1	6 26 15	17 66 68	7 90 102	16 10 11	2 146 146	2 146 146	3 78 86	4 34 33	11 64 65				
2 319 347	5 132 138	0 84 -75	8 40 32	17 54 51	9 50 58	18 21 -25	4 68 72	4 68 72	9 47 -50	K=19, L=6	11 64 65				
4 286 386	7 107 112	2 5 -3	K=15, L=1	19 57 79	11 43 47	K=7, L=3	5 165 168	6 147 152	11 23 -24	0 14 -0	13 59 59				
6 315 305	9 62 66	4 70 -69	1 33 26	K=6, L=2	13 82 84	1 16 7	7 196 208	8 151 123	13 32 34	K=10, L=6	10 50 47				
8 195 168	11 64 77	6 57 60	3 26 -28	0 333 309	15 69 68	3 37 39	9 183 177	10 79 84	15 27 26	2 119 129	0 50 47				
10 197 193	13 75 82	9 88 -86	5 21 -18	2 253 212	0 88 82	5 42 36	11 74 67	13 79 79	14 79 82	4 126 105	4 143 106				
12 128 118	15 61 64	10 38 -41	7 21 15	4 187 160	2 69 74	7 46 40	13 79 79	14 79 82	0 26 9	6 66 75	8 51 53				
14 112 95	K=14, L=0	12 11 1	9 20 20	6 220 214	4 86 95	9 12 -83	15 42 49	K=11, L=4	2 14 -19	9 156 160	6 66 75				
16 90 92	0 86 83	14 26 23	K=16, L=1	8 162 158	6 128 117	11 72 -89	17 56 52	1 162 147	4 20 -29	8 56 53	8 51 53				
18 42 62	2 159 145	16 11 -19	0 21 20	10 113 102	8 56 60	13 53 53	15 42 49	3 70 77	6 18 14	10 81 78	10 81 87				
K=5, L=0	4 144 136	18 16 -20	2 12 1	12 134 112	10 15 52	15 43 42	K=2, L=4	5 134 112	8 18 13	12 83 68	12 83 68				
1 263 249	6 103 114	K=5, L=1	4 12 1	14 137 128	12 45 54	17 24 -26	0 306 281	7 120 117	10 27 -30	14 64 53	K=11, L=6				
3 335 330	8 72 84	1 96 92	6 21 -13	16 55 55	K=17, L=2	0 15 11	2 240 238	9 73 80	K=5, L=5	16 43 50	1 89 95				
5 226 201	10 90 97	3 54 -48	K=17, L=1	18 43 43	1 95 87	2 67 -72	4 141 146	11 35 44	1 34 25	3 111 113	3 111 113				
7 108 102	12 68 74	5 64 -62	1 33 -31	K=7, L=3	3 65 72	4 39 -10	6 169 177	13 90 88	3 9 -15	5 71 75	5 71 75				
9 159 157	14 44 51	7 24 19	3 21 13	K=14, L=3	5 90 90	6 45 37	8 136 157	15 48 56	5 10 -17	1 130 133	7 53 60				
11 157 156	K=15, L=0	9 60 57	5 28 23	7 89 84	9 39 41	8 42 43	10 141 141	K=12, L=5	7 20 12	3 182 210	9 84 92				
13 124 112	1 94 102	11 19 11	K=18, L=0	5 238 220	9 39 41	8 42 43	12 120 112	0 93 83	9 27 22	5 156 159	11 77 78				
15 93 89	3 127 127	13 25 -19	0 20 -28	7 198 191	11 30 36	10 55 -67	14 120 100	2 116 113	14 120 100	7 85 79	K=12, L=6				
17 89 94	5 82 88	15 11 -18	2 11 -5	9 110 110	0 75 78	1 102 97	16 58 60	4 123 130	0 68 63	9 85 85	0 90 94				
K=6, L=0	7 61 70	17 10 -8	4 42 48	11 89 85	0 75 78	1 102 97	18 44 52	6 147 150	2 33 24	11 125 111	2 92 99				
0 44 20	9 84 95	19 18 17	K=19, L=1	13 129 123	2 74 75	3 45 -51	20 39 44	8 77 74	4 22 -28	13 108 92	4 57 58				
2 331 329	11 69 78	K=6, L=1	1 25 -30	15 100 95	4 54 64	5 61 -72	K=3, L=4	10 39 44	6 37 -44	15 73 70	6 41 46				
4 287 274	13 25 35	0 169 183	3 28 29	17 38 46	6 72 80	7 51 46	1 186 171	12 65 70	8 12 16	8 60 68	8 60 68				
6 279 257	K=16, L=0	2 38 30	5 20 21	K=8, L=2	8 71 71	9 25 22	3 238 236	14 85 89	10 52 46	10 84 87	10 84 87				
8 144 128	0 80 95	4 52 -52	7 23 -20	0 176 151	10 40 48	K=10, L=3	5 202 201	K=13, L=4	K=7, L=5	12 30 40	12 30 40				
10 193 193	4 128 124	6 97 -101	0 20 1	2 227 199	3 227 199	0 109 101	7 127 134	1 69 73	1 10 13	2 155 145	2 155 145				
12 101 110	4 80 73	8 42 43	K=20, L=1	4 245 229	1 69 74	2 9 -3	9 88 93	3 127 123	3 10 -10	1 90 95	1 90 95				
14 77 79	6 55 65	10 63 70	0 27 -83	6 221 211	3 59 61	4 69 -77	11 118 119	5 129 131	5 20 -23	3 63 68	3 63 68				
16 73 85	8 66 79	12 11 -9	4 23 20	8 149 142	5 20 34	6 38 -48	13 115 109	7 78 85	7 26 -27	8 115 108	7 55 66				
18 67 68	10 112 119	14 40 -39	K=0, L=2	10 97 101	7 35 44	8 40 34	15 92 85	9 30 36	9 55 52	10 107 106	5 54 66				
K=7, L=0	12 45 49	16 10 7	2 145 171	12 113 110	12 113 110	10 13 11	17 40 48	11 43 54	12 113 111	12 69 63	13 111 111				
1 240 216	K=17, L=0	18 31 30	4 248 254	14 118 103	K=20, L=2	12 11 -12	K=4, L=4	13 69 64	13 36 -43	14 45 44	11 43 54				
3 295 269	1 87 98	K=7, L=1	6 139 138	16 78 75	0 38 57	14 22 -26	K=14, L=5	15 25 -28	16 44 51	16 44 51	0 94 92				
5 2															

amino groups belonging to the thiourea molecules. There are two different  $\text{NH}\cdots\text{O}$  approaches. That of  $2.92 \pm 0.02 \text{ \AA}$  indicates a powerful hydrogen bond whereas the other of  $3.03 \pm 0.02 \text{ \AA}$  is within the range of  $\text{O-H-N}$  hydrogen bonds given by Pimentel & McClellan (1960).

### Discussion of the structure

It is striking that the thiourea molecules involved in the shorter type of  $\text{NH}\cdots\text{O}$  approach are the same molecules involved in the shorter  $\text{Tl}\cdots\text{S}$  and  $\text{S}\cdots\text{S}$  approaches. It thus appears as if only the  $2.92 \text{ \AA}$   $\text{NH}\cdots\text{O}$  approach describes a hydrogen bond, whereas the  $3.03 \text{ \AA}$  approach does not involve a hydrogen bond.\* This means that hydrogen bonding to the anion entails a considerable modification of the electronic structure of a thiourea molecule. A satisfactory description is that the dipole moment of the thiourea is enhanced by the hydrogen bonding. This leads automatically to a stronger electrostatic interaction with the thallose ion and hence the short  $\text{Tl}\cdots\text{S}$  distance. When this induction operates into neighbouring sulphur atoms the possibility of weak  $\pi$ -bonding between them can lead to the close  $\text{S}\cdots\text{S}$  approach.

This effect was overlooked in the analysis of the  $\text{TlH}_2\text{PO}_4 \cdot 4\text{TU}$  structure (Verhoef & Boeyens, 1968) which is characterized by  $(\text{Tl}-4\text{TU})_n$  coordination columns of symmetry  $4/m$ . The sulphur atoms of thiourea molecules involved in hydrogen bonding are then diametrically opposed in the (001) sulphur squares. The  $\pi$ -bonding therefore does not occur and the sulphur squares appeared to be normal. Two different  $\text{Tl}\cdots\text{S}$  distances were however observed ( $3.41$  and  $3.45 \text{ \AA}$ ) but their significance was not appreciated. The thiourea molecules involved in the close  $\text{Tl}\cdots\text{S}$  approaches are hydrogen bonded to the phosphate ion,  $d(\text{NH}\cdots\text{O}) = 2.94 \text{ \AA}$ , and the others are not.

The effect is obvious in the present structure because only one end of the benzoate ion contains a polar group. Since there is no special interaction between the apolar end of the benzoate and the polar amino groups, only the polar end of a benzoate is surrounded by  $-\text{NH}_2$  groups. It is impossible to arrange  $(\text{Tl}-4\text{TU})_n$  columns with  $4/m$  symmetry in such a way that *all* amino groups are directed towards only one end of an anion situated in a channel among the columns. A different symmetry of the columns is required to induce such an arrangement. For this reason the coordination columns in the present structure have  $mm$  (or  $2_1/m$ ) symmetry. The sulphur atoms of thiourea molecules involved in hydrogen bonding are now adjacent in the (001) sulphur squares and therefore favourably situated to interact by forming weak  $\pi$ -bonds.

The model which describes the thiourea complexes in terms of the close packing of anions and invariant coordination columns of symmetry  $4/m$ , except for small distortions, must therefore be revised. The problem is more general and best formulated in terms of the electrostatic interaction of the reaction species. Only when the anions can be approximated by point charges is the old model valid. In the case of more complicated anions however, their geometries also play a rôle and as demonstrated here the column is built up so as to interact most effectively with the polar parts of such an anion.

The deviation in  $\text{Tl}_3\text{PO}_4 \cdot 6\text{TU}$  from the familiar  $\text{Tl}:\text{S}=1:4$  ratio can now also be explained since the interaction of isolated anions with long  $(\text{Tl}^+ \cdot 4\text{TU})_n$  columns depends on the number of effective contacts. For a cation:anion ratio of 3:1 these contacts would occur on the average every  $12 \text{ \AA}$  which is so inefficient that a column of a different geometry and composition, and compatible with the 3:1 ratio, is formed instead.

The fact that only very drastic conditions seem to cause the formation of coordination columns which are not of the  $4/m$  type, indicates that this arrangement of sulphur atoms at the corners of a distorted Archimedean antiprism around the cation is energetically the most favourable. It even occurs when not favoured by stoichiometric relationships as in lead (II) salt complexes and complexes of the thallose salts of dibasic acids (Boeyens & Herbstein, 1967).

### Conclusion

The details of this structure have completely changed current ideas about the stability of the ionic thiourea

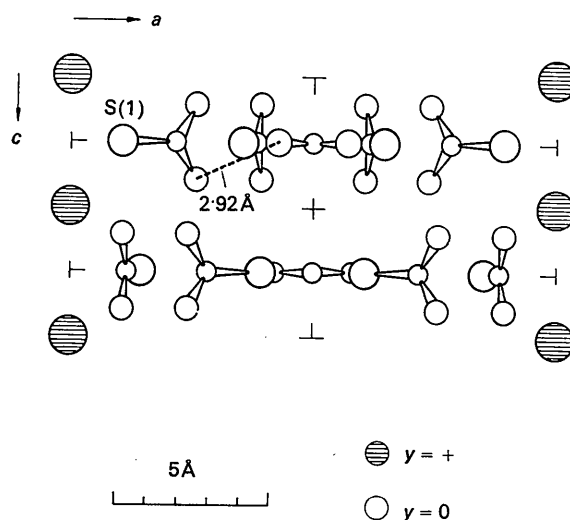


Fig. 2. (010) projection of the surroundings of a benzoate ion. The benzoate ion in the upper half of the diagram is viewed from its polar end and the benzoate ion in the lower half from its apolar end.

\* The interpretation of a similar  $3.03 \text{ \AA}$  approach as a possible hydrogen bond in the structure of  $\text{CsF} \cdot 4\text{TU} \cdot 2\text{H}_2\text{O}$  (Boeyens, 1968a) now appears to have been wrong.

complexes. It has been demonstrated that the very stable  $(M^+.4TU)_n$  coordination column with symmetry  $4/m$  is not an essential structural unit. A better criterion is that these complexes will form whenever any three-dimensional arrangement of ions and dipoles in the same crystal gives a higher intrinsically negative lattice energy than the sum of the lattice energies of the separate crystals. These quantities are exactly calculable and a programme is under way to investigate the electrostatic stability of various structure types by numerical methods.

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## The Structure of Three Isomers $S_6(NH)_2$

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The three known isomers of  $S_6(NH)_2$  were studied. Two-dimensional X-ray work showed one of the isomers,  $S_6(NH)_2$  II with m.p.  $153^\circ C$ , to be identical with the compound  $S_6(NH)_2$  studied by Weiss (*Z. anorg. chem.* (1960) 305, 190). The four molecules in the orthorhombic unit cell with  $a=7.87$ ,  $b=12.86$ ,  $c=7.38$  Å lie at special positions  $m$  in space group  $Pnma$ . They contain eight-membered puckered rings of sulphur and nitrogen atoms (crown conformation) with the latter in the 1,5 positions.

The crystals of  $S_6(NH)_2$  I (m.p.  $130^\circ C$ ) are monoclinic with  $a=8.054$ ,  $b=12.522$ ,  $c=8.368$  Å,  $\beta=114.45^\circ$ , space group  $P2/n$ . The unit cell contains two independent pairs of molecules lying at special positions with symmetry 2. The crystal structure was determined from a three-dimensional Patterson synthesis and a difference synthesis. Refinement by anisotropic least-squares analysis of 1244 independent reflexions with non-zero intensity gave an index  $R$  of 0.048. The molecules are eight-membered rings in crown conformation. The NH groups appeared to be in the 1,4 positions. Average bond lengths and angles with e.s.d.'s for the individual values in parentheses are S-S=2.048 (0.006), N-S=1.724 (0.010) Å,  $\angle SNS=119.1$  (0.5),  $\angle NSS=110.1$  (0.4) and  $\angle SSS=107.3$  (0.2)°.

For  $S_6(NH)_2$  III only preliminary X-ray work was done. Chemical considerations and comparison of the infrared and mass spectra of the three isomers very strongly indicated that  $S_6(NH)_2$  III (m.p.  $123^\circ C$ , space group  $Pbca$ ,  $a=8.18$ ,  $b=12.84$ ,  $c=14.06$  Å,  $Z=8$  formula units) is cyclohexasulphur-1,3-diimide.

### Introduction

From the reaction mixture of  $S_2Cl_2$  and  $NH_3$  several sulphur imides have been isolated: Goehring, Herb & Koch (1951) prepared a compound with formula  $S_7NH$ , Weiss (1959) obtained a solid with composition  $S_6(NH)_2$  in addition to  $S_7NH$  and some other products, Tavs, Schulz-Steinen & Colchester (1963) and Heal (1963) showed by careful absorption chromatography

that not only one, but three, compounds  $S_6(NH)_2$  were formed during the reaction. Later, Heal & Kane (1964) succeeded in isolating two isomers with composition  $S_5(NH)_3$ . As all these sulphur imides obey the general formula  $S_{8-x}(NH)_x$ , it was supposed that they contained eight-membered rings as in  $S_8$ , with one or more of the sulphur atoms replaced by NH groups. A similar structure was assumed for  $S_4(NH)_4$  which had been prepared by reduction of  $S_4N_4$  by  $SnCl_2$  in methanol (Meuwesen & Lösel, 1953). For some compounds, e.g.  $S_7NH$  (Weiss, 1960; Weiss & Neubert, 1965) and  $S_4(NH)_4$  (Lund & Svendsen, 1957; Sass & Donohue, 1958), the hypothesis was confirmed by an X-ray study of the crystal structures. In both cases the shape of the ring is analogous to the crown shape observed in orthorhombic sulphur. In  $S_4(NH)_4$  the ring appeared to consist of alternating sulphur and nitrogen atoms.

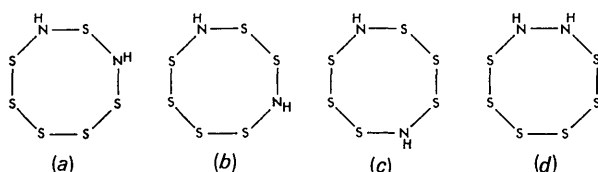


Fig. 1. Possible molecular structures for the isomers  $S_6(NH)_2$ .